

REVIEW

가 : (: , 가
 가? , . LLE, VLE, SLE ,
 가 가 . < >
 , LLE .)

: , driving force
 가?

: 1 2 , 가

- : 0 : 0 K 0 .
- 1 (:) : $dU = dQ + dW$
- 2 () : $(dS)_{U,V} \geq 0$
- 3 :

Fundamental Equations (by 1th Law and 2nd Law) for closed system,

$$dU = TdS - PdV$$

$$dH = TdS + VdP$$

$$dA = -SdT - PdV$$

$$dG = -SdT + VdP$$

♣

U

(potential energy)

closed system boundary

♣

$$dS = \frac{dQ_{rev}}{T}$$

♣

$$H \equiv U + PV$$

※

(U,H,A,G)

U(S,V), H(S,P), A(T,V), G(T,P)

1,2 가

$$(dU)_{S,V} \leq 0$$

$$(dH)_{S,P} \leq 0$$

$$(dA)_{T,V} \leq 0$$

$$(dG)_{T,P} \leq 0$$

T, P, V 가

가

A(T,V) G(T,P)가

T, P 가 가

♣ Open system

$$dU = TdS - PdV + \sum_i \mu_i dn_i$$

$$dH = TdS + VdP + \sum_i \mu_i dn_i$$

$$dA = -SdT - PdV + \sum_i \mu_i dn_i$$

$$dG = -SdT + VdP + \sum_i \mu_i dn_i$$

Gibbs free energy
(energy)

μ_i chemical potential

(partial molar Gibbs free

$$\overline{G}_i = \mu_i \equiv \left(\frac{\partial G}{\partial n_i} \right)_{T,P,n_j(\neq i)}$$

G(T,P, { n_i })

가 ,

가

가

C_p^0 : ideal gas heat capacity

PVT EoS

1

2

가

$$\mu_i(T, P, \{x_i\}) = \mu_i^0(T, P^0, \{x_i^0\}) + \dots$$

x_i^0 system

P⁰ system 1bar .

$$\left(\frac{\partial \mu_i}{\partial P}\right)_{T,n} = \bar{V}_i$$

$$\mu_i = \mu_i^{ig} + \int_0^P (\bar{V}_i - \bar{V}_i^{ig}) dP$$

term residual partial molar volume .

. van der Waals

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가

Solution Model

가